An Efficient Approach for Credit Card Fraud Detection

Abstract: The objectives of this research paper, the topic of credit card fraud detection has gained and developed fraudsters are increasing day by day among researches because of their frequent look in varied and widespread application within the field of various branches of information technology and engineering. For example, genetic algorithms, Behavior-based techniques, and Hidden Marks models are also used to address these problems of technology. Credit card fraud detection models for transactions are tested individually and proceed to whatever is most effective. The aim of this thesis is to develop some method of detecting fraudulent transactions and producing test dataset. These algorithms are the predictive method in solving high complication computational problems. We discussed a new method to target or deal with fraud detection by filtering the beyond techniques to get a better result. These algorithms are a predictive approach in solving high complication computational problems. It is an adaptation technique and evolutionary discovery that supports the existence of genetic and fittest. The step-in-aid of the execution of accomplished credit card fraud detection system is mandatory for all credit card administrator companies or customers to reduce their damages.

Keywords: Fraud detection of credit card; Naive Bayes, K-Nearest Neighbors and Logistic Regression Classifier; Hidden Markov Model; K-means Clustering; GMDH; DST; Bayesian learning and Neural Network.

I. INTRODUCTION

A credit card is a skinny working plastic card, identification information, namely a signature, photo [1] or authorizes the individual named after him for the purchase fee or services to his account - fee for which he will bill from time to time. Today, there is data on the card automated teller machines (ATMs), read by store readers, also employed in bank and online internet banking system. They have a unique card number and secret pin number (CVV) which is extremely important. This physical security depends on the plastic card and credit card secret number [2]. Credit card is useful in our life from day by day. Our aim here is to detect fraud so that fraud can be detected or detected before fraud can occur. The goal is to minimize and accurately detect false fraud.

II. CREDIT CARD FRAUD METHODS

There are many ways to detect credit card fraud, as well as K-means clustering [4], Hidden Markov models [5], Grouping of data handling models [6], Demster Shafer theory [7], Bayesian learning, and Neural networks.

A. K-means Clustering methods

The basically of k-means clustering method of vector quantization from signal processing, which purposes to divide n observations among k clusters, with all observation falling under a cluster within the closest mean. These K-means k attempts to divide x data-points during the sets of clusters, where all data-point is allocated to nearest cluster. That method is distinct by the objective function that tries to minimize the sum of all class distances within the cluster for all clusters [4, 8].

Assume; The set of observations \((x_1, x_2, \ldots, x_n)\), where all observations are a D-dimensional ultimate vector, k-means a clustered round that denotes n observations in the \(k \leq n\) set \(S = (s_1, s_2, \ldots, s_k)\) so as to reduce the within-cluster sum of squares.
Formally, the objective of K-means clustering is as follows:

$$\Rightarrow \arg \min_{\sum} \left( \sum_{x \in S_a} \|x - \mu_a\|^2 \right)$$

$$\Rightarrow \arg \min_{\sum} \sum_{i=1}^k |s_i| \text{Var} s_i$$

Where, $\mu_i = \text{mean of points on } s_i$.

This is equivalent to reducing the pair-wise squared deviation of digits in the same cluster:

$$\Rightarrow \arg \min_{\sum} \sum_{i=1}^k \frac{1}{2|s_i|} \sum_{x,y \in s_i} \|x - y\|^2$$

Or, validation can be reduced by recognition:

$$\Rightarrow \sum_{x \in s_i} \|x - \mu_i\|^2$$

$$\Rightarrow \sum_{x \neq y \in s_i} \|(x - \mu_i)(\mu_i - y)\|$$

### Steps of k-means clustering algorithm

<table>
<thead>
<tr>
<th>Steps</th>
<th>Disuses of k-means clustering algorithm</th>
</tr>
</thead>
<tbody>
<tr>
<td>Step 1:</td>
<td>Select value of q or no. of clusters to be designed.</td>
</tr>
<tr>
<td>Step 2:</td>
<td>Randomly take q as a data-points from the data as the preparatory cluster centroids/centres.</td>
</tr>
<tr>
<td>Step 3:</td>
<td>For all data-point: -</td>
</tr>
<tr>
<td></td>
<td>a. Calculate the distance between the data-point and the cluster centroid</td>
</tr>
<tr>
<td></td>
<td>b. Specify the data-point for the nearest centroid</td>
</tr>
<tr>
<td>Step 4:</td>
<td>Calculate the new mean for each cluster based on the data-points in the cluster.</td>
</tr>
<tr>
<td>Step 5:</td>
<td>Quote Step 3 - 4 until the clusters stop changing mean or reach the maximum number of iterations.</td>
</tr>
</tbody>
</table>

### B. Hidden Markov Model methods

HMM stands for hidden Markov model [9]. It is defined as a class of probabilistic graphical models that permits us, to predict a classification of unknown (hidden) variables from the set of observed variables. For example, of HMM is predicting (hidden variables) during the season that the fabric is based on one type of fabric. In the order of steps used to predict the top classification of hidden states, HMM can be watched as a bias net in one order of time.

Where, $X = \text{denoted by situations of process}$

$y = \text{denoted by probable observations}$

$a = \text{denoted by state transition probabilities}$

$b = \text{dented by output probabilities}$

In figure 1, Wikipedia refers to hidden Markov model or its transition. The script is a room containing urns x1, x2 and x3, each of which has a recognized mixture of balls, each ball labeled y1, y2, y3 and y4. A classification of four balls is drawn randomly. In this case, the user looks at the order of the balls y1, y2, y3 and y4 and is trying to understand the hidden position which is the correct classification of the three urns drawn from these four balls [5].

### C. Group Method of data Handling model

GMDH means group method of data handling. It is defined a family of inductive algorithms for computer-based mathematical modelling of multi-parametric data that facilitate completely automated structural or parametric optimization of models. Group method of data handling is applied in such areas as data mining, knowledge discovery, forecasting, complex system modelling, optimization, and pattern recognition. The group method of data handling algorithm is characterized by a definitive process that slowly sorts complex polynomial models or selects the perfect solution through external criteria. The GMDH
model with multiple inputs gives an output that is a subclass of the components of the base function [6].

Formally, Find the GMDH equation: -

\[ Y(x_1, ..., x_m) = k_0 + \sum_{i=1}^{m} k_i \text{fun}_i \]

Where, fun = elementary functions subordinate on various sets of inputs,

\[ k = \text{co-efficient}; \]

\[ m = \text{number of base function components}. \]

D. Dempster Shafer Theory methods

DST stands for dempster shafer theory. It is defined by a general framework for inference with incertitude makes sense with any frameworks such as probability or ineffective probability theories. Dempster shafer theory [10] is constructed with duece fundamental opinions: deriving degrees of certainty for a enquiry from subjective probabilities for the related enquiry, and parts of Dempster's certainty when they form an independent item of demonstration, at are based [7].

E. Bayesian learning methods

Bayesian learning requires a (possibly infinite) sum over the entire hypothesis space. Statistical learning approaches compute the probability of individually hypothesis ‘y’ given the data ‘x’, and select the hypothesis / make predictions based on this prediction makes predictions using all hypotheses weighted by their probabilities [11, 10].

Suppose, in the following: Set of fixed training \( (t_1, t_2, ..., t_m) \) and classification of data \( (x_1, x_2, ..., x_m) \) and determine the most likely hypothesis using the Bayes theorem.

\[ P(y|x) = \frac{P(x|y)P(y)}{P(y)} \]

Where, \( P(y) = \text{prior probability of hypothesis y} \)

\( P(x) = \text{prior probability of x} \)

\( P(y|x) = \text{probability of y given x} \)

\( P(x|y) = \text{probability of x given y} \)

F. Neural Network methods

The neural network [12] is quieter than an interconnecting array of processing units. The 'input nodes' are connected to more than intermediate layers of nodes, are called 'hidden units', which in chance feed to more than output nodes. There may be more than one output layer. Each node in individually layer is connected to all nodes in the previous and lower layers. Network processing capacity is stored in loads associated with interconnected units.

Otherwise, a neural network is a simplified model of the way human brain processes. It works by emulate a large number of mutually processing units that take after abstract versions of neurons. Processing units are organized into layers. He arranges the processing units into layers. Processing units are organized into layers. He arranges the processing units into layers. A neural network contains of three parts: the first thing is an input layer, which consists of units representing input arenas; one or more than the hidden layers; and an output layer with a unit or units reporting the target fields [13].

III. VARIOUS TECHNIQUES USED IN CREDIT CARD FRAUD

The arrival of credit cards has not only given us privilege or convenience, but has also attracted maleist characters, as it is the best way to earn relatively more currency over a real period of time. In addition, it takes ages to detect that the user has been cheated.

Some usual techniques used by the fraudster are: -

- Credit card copying and somehow capturing the user's secret PIN code.
- The credit card holder charges more cash to the user's credit card than they have to agree to listen later for the money charged.

So that not only the buyer, but also the credit card issuing bank, is at a loss and, therefore, has some percent to reduce illegality, Credit card usage is leading to the occurrence of various credit card fraud detection techniques. To detect credit card fraud, looking at the category of transactions and then identifying them or classifying them into important transactions and thus implementing fraudulent transactions [1].

Fraud detection systems [14] are facing many problems and challenges. An effective fraud detection technique must have the eligibility to overcome these problems to obtain the best performance.
Difficulties of credit card fraud detection.

<table>
<thead>
<tr>
<th></th>
<th>Description</th>
</tr>
</thead>
<tbody>
<tr>
<td><strong>Imbalanced data</strong></td>
<td>Credit card fraud detection datasets have an imbalance of nature. This resources that a very small percentage of all credit card transactions are fraudulent. This makes detection of fraudulent transactions very difficult and obstructive.</td>
</tr>
<tr>
<td><strong>Different misclassification importance</strong></td>
<td>In the act of detecting fraud, various abortion faults have different significance. Diversification of a normal transaction as fraud is not as harmful as detecting a transaction as a normal fraud. Since the fault in classification in the first case will be identified in further investigation.</td>
</tr>
<tr>
<td><strong>Overlapping data</strong></td>
<td>Several transactions can be well-thought-out fraudulent, whereas in reality they are normal (false positives) and vice versa, a fraudulent transaction may also appear to be valid (false negative). Therefore, achieving small rates of false positives and false negatives is an important challenge of fraud detection systems.</td>
</tr>
<tr>
<td><strong>Lack of adaptability</strong></td>
<td>Assortment algorithms typically face the problem of detecting new types of common or fraudulent patterns. Supervision &amp; obsolete fraud detection systems are ineffectual in detecting a new common pattern or fraudulent behaviors, respectively.</td>
</tr>
<tr>
<td><strong>Fraud detection cost</strong></td>
<td>This system must have during account both the cost of fraudulent behavior &amp; the cost of preventing it. For example, no revenue is obtained by ending fraudulent transactions of a few dollars.</td>
</tr>
</tbody>
</table>

### Table 2

<table>
<thead>
<tr>
<th>Authors</th>
<th>Year</th>
<th>Handling various problems using credit card fraud detection methods</th>
</tr>
</thead>
<tbody>
<tr>
<td>Suvasini Panigrahi, Amlan Kundu, Shamik Sural and A. K. Majumdar</td>
<td>2009</td>
<td>Authors proposed a method for credit card fraud detection of a fusion method using dempster shafar theory and bayesian learning.</td>
</tr>
<tr>
<td>E. Aleskerov, B. fieisleben and B. Rao</td>
<td>2011</td>
<td>Authors proposed a method for credit card fraud detection using KNN, HMM or GMDH methods.</td>
</tr>
<tr>
<td>S. Benson Edwin Raj and S. Benson Edwin Raj</td>
<td>2017</td>
<td>Authors proposed a method for credit card fraud detection using various procedures or discusses credit card fraud detection based on transaction behavior.</td>
</tr>
</tbody>
</table>

### IV. LITERATURE REVIEW

In a point of review of the literature, this paper [8] describes research related to a case-study involving credit card fraud detection, wherever data normalization is applied previously cluster analysis and the importance of this paper on fraud. New methods and algorithms for detection were to be discovered or to extend the accuracy of the results. This paper [15] predicts real-life transaction data by a European and had to find an algorithm that they found was the Bayes minimum risk. In this paper [16] we have found source code and how to process and find results. In this paper [17], with the help of python 3.0 console platform. This graph is showing the structure. In this paper gives a general description of the fraud detection systems developed during this fraud like various classifiers and therefore the model used different techniques and finally, conclusions are drawn about the results of the evaluation of the model.

Some major contributions to credit card fraud detection processes are discussed in Table 3 below.

### Table 3: Literary review of credit card fraud detection procedures
This table 4 discusses how credit card fraud is detected for various purposes.

<table>
<thead>
<tr>
<th>Authors</th>
<th>Year</th>
<th>Different approaches to solve these problems</th>
</tr>
</thead>
<tbody>
<tr>
<td>Ishu Trivedi, Monika, Mrigya Mridushi</td>
<td>2013</td>
<td>They proposed algorithm for Performance analysis classification algorithm for data classification.</td>
</tr>
<tr>
<td>Khyati Chaudhary, Jyoti Yadav, Bhawna Mallick</td>
<td>2012</td>
<td>Author approaches an evaluation of fraud detection techniques for credit card.</td>
</tr>
</tbody>
</table>

Table 4: Literary review of credit card fraud detection methods

The above discussions are that the problematic of credit card fraud detection has gained various methods and techniques among researchers due to their consistent approach in diverse and wide-ranging applications and systems in the fields of various branches of science and engineering. Additionally this higher literature review suggests that research is for detecting credit card fraud with datasets derived from ULB by applying bayesian learning, hidden Markov model, k-means clustering, group method of data handling model, neural network, dempster shafer theory methods and various classifier applies as a naive Bayes, k-nearest Neighbors, logistic regression or random forest [18] or to estimate their accuracy, sensitivity, specificity, precision using various models & comparisons collide to tell them the simplest probabilistic model to settle the problematic of credit card fraud detection.

V. DESCRIPTION OF EXISTING SYSTEM

Discussion for working on the Kaggle database, k-nearest neighbor (KNN) method, K-means clustering methods, hidden Markov model (HMM) methods, data handling model group method, dempster shafer methods, Bayesian learning methods and Neural Network methods in case of existing system. Bayesian learning methods, neural network methods, and datasets from kaggle.com were collected and modified with a dataset of hybrid samples or Naive Bayes, K-nearest neighbor and logistic regression classifier classified technology. To avoid the above-mentioned disadvantages throughout, we propose the existing system to detect fraud in a very good and direct way.

Table 5: Pros and Cons of credit card fraud detection shown in below: -

<table>
<thead>
<tr>
<th>Sr. No</th>
<th>Pros</th>
<th>Cons</th>
</tr>
</thead>
<tbody>
<tr>
<td>01.</td>
<td>In this case of the existing system that even the first card-holder is additionally checked for fraud detection. But these systems do not need to check the user first because I maintain a log.</td>
<td>Indebtedness and Accrued fees are payable by the victim</td>
</tr>
<tr>
<td>02.</td>
<td>The log which is maintained will be the evidence for the transaction done by the bank.</td>
<td>Bad Credit Score and High-interest rates or annual fees related to credit cards</td>
</tr>
<tr>
<td>03.</td>
<td>I can find out the most accurate using this system.</td>
<td>Consumers, use credit over ever before</td>
</tr>
<tr>
<td>04.</td>
<td>It reduces the work of an employee within the bank.</td>
<td>High-cost fees</td>
</tr>
</tbody>
</table>

Table 5

A. Description Of Survey Work

The datasets used within the experiments or the names of the three classifiers under study were discussed, namely; Naive Bayes, k-Nearest neighbor and logistic regression techniques. The situation involved in generating classmates includes; A set of data, pre-processing of data, analysis of data, training and testing of the classifier algorithm (evaluation). These experiments are evaluated using True Positive, True Negative, False Positive, and False Negative Rate metrics. Comparisons of performance supported accuracy, sensitivity, specificity, accuracy, Mathews parametric statistical and balanced classification rates are analyzed.

➢ Dataset

The dataset is obtained from the ULB Machine Learning Group [19] and described. The dataset includes credit card transactions conducted by European card-holders in September 2013. This dataset presents transactions occurring over two days, including 284,257 transactions. Positive classes (fraud cases) compose 0.172% of the transaction data [20]. The dataset is highly unbalanced or skewed toward the positive orbit. It includes
only numerical (continuous) input variables, which result from a principal component analysis (PCA) feature selection, resulting in 28 principal components. Thus, the entire 30 input features are used during this study. Background information of most points or features cannot be presented due to privacy issues. The time feature includes the elapsed seconds between each transaction and the primary transaction within the dataset. The ‘amount’ feature is that transaction amount. This feature ‘class’ is that which is the target class for binary classification and takes values for 1 (Fraud) for positive case and 0 for negative case (Non-Fraud) [21].

- **Hybrid sampling of dataset**

  They are data pre-processing and the data is distributed over it. A hybrid of under-sampling and over-sampling is distributed over a highly unbalanced dataset to realize two sets of distributions for analysis (i.e., values are 10:90 or 34:64). This will be done by adding stepwise and subtraction of the estimated data-points between the existing data-points until the over-fitting thread is completed. [22].

\[
\begin{align*}
PCA_{\text{new}} & = \sum_{i=1}^{m} PCA + i & \text{I} \\
NCA_{\text{new}} & = \sum_{i=1}^{m} NCA - i & \text{II} \\
m & = \text{mod} \left( \frac{PCA}{NCA} \right) & \text{III}
\end{align*}
\]

Where \(PCA_{\text{new}}\) = number of positive data-point, \(NCA_{\text{new}}\) = number of negative data-point, \(m\) = modulus of ratio, \(\frac{PCA}{NCA}\) = quantity of positive or negative class datapoint in imbalanced dataset.

- **Naive Bayes classifier**

  Bayesian theory is supported by Naive Bayes or a statistical approach, which supports selection as the best possible probability. Bayesian probability approximates unknown probabilities from known values. This allows prior knowledge and logic to be applied to uncertain details. This technique holds the assumption of conditional independence between features within the data. The Naive Bayes [23] classifier relies on the conditional probabilities (iv) and (v) of binary classes (cheating and non-cheating) [22].

\[
\begin{align*}
P(c_i|f_k) & = \frac{P(f_k|c_i)P(c_i)}{P(f_k)} & \text{IV} \\
P(f_k|c_i) & = \prod_{i=1}^{m} P(f_k|c_i) k = 1, \ldots , m; \quad i = 1, 2 & \text{V}
\end{align*}
\]

where \(m\) = maximum number of features, \(P(f_k|c_i)\) = probability of feature value \(f_k\) being in class \(c_i\), \(P(f_k|c_i)\) = probability of generating feature value \(f_k\) given class \(c_i\), \(P(c_i) / P(f_k)\) = probability of occurrence of class \(c_i\) and probability of feature value \(f_k\) occurring.

The classifier performs binary classification supported bayesian classification rules.

\[
\begin{align*}
\text{If } P(c_1|f_k) > P(c_2|f_k) \text{ then the classification is } c_1 \\
\text{If } P(c_1|f_k) > P(c_2|f_k) \text{ then the classification is } c_2
\end{align*}
\]

where \(c_1\) = negative class, \(c_2\) = positive class, \(c_i\) = target class for classification.

- **K-Nearest Neighbors Classifier**

  K-Nearest Neighbor is ideal based on learning that carries its classification, which supports measures of similarity, such as Euclidean, Manhattan, or Minkowski distance functions. The first two distance procedures work with continuous variables while the third articulate variables. Euclidean distance measurements have been employed during this study for the KNN classifier [24]. The Euclidean distance \(D(i,j)\) between two input vectors \((x_i, x_j)\) is given by:

\[
D_{ij} = \sqrt{\sum_{k=1}^{m}(x_{ik} - x_{jk})^2} \quad k = 1, 2, \ldots , m \quad \text{VI}
\]

For every information within the dataset, the Euclidean distance between an input data-point and therefore the current point is calculated. The distances are sorted in ascending order and the shortest distance \(k\) items are selected for the input data-point. The majority class is found among their items and thus the classifier returns the majority class due to the classification of the input point. Parameter tuning for, \(k\) is dispensed for \(k = 1, 3, 5, 7, 9, 11\) and \(k = 3\). Thus, the value of \(k = 3\) is used within this classifier [22].

- **Logistic Regression Classifier**

  Logistic regression that uses a functional influence to evaluate the probability of one or more variable feature supported binary response. It finds the most appropriate paragraph for logistic regression that uses a functional approach to estimate the probability of a binary response supporting one or more variable features. It finds the best-fit parameters to a non-linear function called the sigmoid. The sigmoid function \(\sigma\) or so the input \((x)\) to the sigmoid function is shown in (VII) & (VIII).

\[
\sigma(x) = \frac{1}{1+e^{-x}} \quad \text{VII}
\]

\[
x = w_0z_0 + w_1z_1 + \cdots + w_mz_m \quad \text{VIII}
\]

Vector \(z\) is the input file or also simplest co-efficient \(w\), multiplying each element together and adding to induce a number that determines the classifier of the target class. If the price of sigmoid is greater than 0.5, it is considered 1; Otherwise, it is a 0. an optimization method that is used to train the classifier and find the best-fit criteria. Gradient ascent (9) and modified stochastic gradient ascent
optimization methods were used to evaluate their performance on gradients.

\[ w := w + \alpha \nabla f(w) \]

Where the parameter \( \nabla \) is that the magnitude of gradient movement. This step is continued until an ending criterion is met. If the parameters are changing, then optimization methods are investigated (for criteria 50 - 1000) to understand this. What are the parameters that reach a constant value or are they constantly changing? In 100 iterations, constant values of the parameters are obtained.

Stochastic gradients continuously increase climbing as new data comes at once. It starts with all weights set to 1. Then for every feature value within the dataset, gradient ascent is calculated. The weight vector is updated by alpha and gradient cargo. The load vector is then returned. Stochastic gradient ascent is used during this study because, given the enormous magnitude of the information, it updates the weights using only one instance at a period, thus reducing computational complexity [22].

B. System Diagram

![Architectural diagram](image)

![DFD diagram](image)
Fig 4: Block diagram [28]

1. Start
2. Define cost functions, variable and parameters for genetic algorithm
3. Generate initial
4. Decode chromosome
5. Fix cost for each chromosome
6. Select mates
7. Perform crossover
8. Perform mutation
9. Check for convergence
   - Yes: Stop
   - No: Repeat steps 6-8

Fig 5: Process flow diagram [27]
VI. PURPOSED SYSTEM

We have used a method, technique, and an algorithm to calculate the probability of fraud of a credit card transaction. This algorithm measures a classification (cheat / no cheat) and the probability of each, such that \( R(\text{cheat}) + R(\text{no cheat}) = 1 \). We want to rank the transaction so that not only its probability is reviewed. Can go Fraud, the amount at risk in each product.

Fig 6: Flow chart of proposed system approaches for credit card fraud detection after training during detection.

- **The main challenges in purposed system are:** -
  - Hazardous data is processed day by day and models should be engineered apace to reply to scams in time.
  - Unbalanced data i.e. most transactions (99.8%) don’t seem to be fallacious that makes it very onerous for fraudsters to notice.
  - Data availability is usually personal within the type of knowledge.
  - Misclassified knowledge is another major issue, as not each fallacious group action is caught and rumored.
  - Adaptive technique employed by scammers against models

- **Purposed System solutions designed to deal these challenges:** -
  - The model used should be simple and fast to detect anomaly or quickly classify it as a fake transaction.

- Imbalance can be dealt with properly in a few ways which we will talk about in the next paragraph.
- Data mobility can be reduced to protect user privacy.
- A more reliable source must be taken that at least double-checks the data to train the model.

VII. IMPLEMENTATION

We discuss building real-time solutions to detect credit card fraud. There are following two steps to detect real-time scam:

- The first step involves analysis or forensics on historic dataset to create a machine learning model.
- The second stage uses models in construction to make forecasts for live events.
Exemplify the modelling of datasets using machine learning paradigm classification along with the basis detection of credit card fraud. Classification can also be a machine learning paradigm that involves obtaining a function that will separate the dataset into categories, or classes, with a training set of datasets (examples) of observations. This function is then employed to identify which categories the base observation is in.

A. Problem Statement

The credit card fraud problem involves modelling within the data of those in previous credit card transactions that turned-out-to-be fraudulent. That pattern is then used to recognize if a new transaction is bogus. The objective is to notice 100% of fraudulent transactions so long as reducing misclassification.

B. Solution methodologies

These datasets are collected at kaggle.com & studied through an exploratory collaboration with world-line and hence ULB’s machine learning group on big data mining or fraud detection. Further data about current and past article on related topics is available at kaggle.com and hence the page of the credit card fraud investigation article. This dataset is picked up from kaggle.com.

We are used to the method of detecting credit card fraud.

Table 6: Observations of dataset of credit card fraud detection is shown in below:

<table>
<thead>
<tr>
<th>Conditions</th>
<th>Observations</th>
</tr>
</thead>
<tbody>
<tr>
<td>01.</td>
<td>These datasets are highly skewed, with a total of 284,807 observations containing 492 fraudulent volumes. This accounted for only 0.172% of the fraud cases. This severed set is justified by the low number of fraudulent transactions.</td>
</tr>
<tr>
<td>02.</td>
<td>These datasets run from transformed features of 28 Principal Component Analysis (PCA) with numeric values, named V1 to V28. In addition, there is no metadata about the initial characteristics provided, so pre-analysis or feature studies cannot be performed.</td>
</tr>
<tr>
<td>03.</td>
<td>The ‘Time’ or ‘Amount’ features are not transformed data.</td>
</tr>
<tr>
<td>04.</td>
<td>It isn’t a lost value within the dataset.</td>
</tr>
</tbody>
</table>

It is also seen that; a conclusion is drawn which is discussed below:

- As an unbalanced data, a process that doesn’t perform any kind of feature analysis and predicts all transactions, as non-fraud would also reach a target of accuracy of 99.828%. Upon, accuracy is not an accurate measure of efficacy in this case. We seek another standard of correctness, classifying transactions as fraudulent or non-fraudulent.

- The ‘special time’ attribute doesn’t affect indicating the specific time of the transaction or exceeds the list of information in sequential order. Therefore, we believe that the ‘time’ attribute has little and not significance in the classification of fraudulent transactions. Therefore, we conclude this column by further analysis.

VIII. RESULT AND DISCUSSION

In this section; we are using data analysis to notice credit card fraud by ULB’s machine learning group to provide fraud datasets and we have downloaded from the Kaggle.com website. The dataset includes credit card transactions conducted by European card-holders in September 2013 [22].
These datasets represent transactions occurring over two days, where we found 492 fraud out of 284,807 transactions. These datasets are highly unbalanced, with positive squares (cheat) account for 0.172% of all classes. We used various forms of algorithm and sequence method and obtained the output with the result [21].

![Fig 8: Describing the dataset](image)

I described the data shape and print the dataset. We checked dataset in rows and columns format and calculate count, mean, std, min or max values and amount with different classes.

![Fig 9: Imbalance in the data](image)

Here, the amount of fraud cases within the dataset reflects and only 0.17% of fraudulent transactions are observed. Data is highly imbalanced. We investigated here, fraud cases 496 or legitimate transactions 284315.

![Fig 10: Histogram of amount vs frequency](image)
I am using to plot correlation matrix and I have checked the features v1, v2, ..., v28 class is compared to ‘time’ and ‘amount’. In the heatmap; it is able to clearly see that almost all features are not associated with other features, but there are some features that involve either positive or negative correlation with each other. Here, v2 and v5 are highly negatively correlated with a feature called zodiac. I also see some connection with the v20 and the zodiac. This gives us a deeper understanding of the data available to us.

Here, Visualizing the Confusion Matrix, we printing the confusion matrix and labels(not_fraud[0] or fraud[1]) with comparing between true class and predicted class. We plotting plt.ylabel('True: class') and plt.xlabel('Predicted class') and here, 0 is denoted by not fraud and 1 is denoted by fraud.
We evaluate the isolation forest or used model and train. The F1-score is represented of more balanced report because that’s a mean between precision & recall. We have found the Matthew correlation coefficient. We will apply various unbalanced data handling techniques and see their accuracy and miss the results. This result matches against the values of the class to check for false positives. Results when 10% of the dataset is used:

**Fig 13:** Find out the Matthews correlation coefficient value.

**Fig 14:** Find out the IF and LOC.
Results with the complete dataset is used:

\[
\text{Isolation Forest}
\]
\[
\begin{array}{cccc}
\text{Number of Errors: 659} \\
\text{Accuracy Score: 0.9975861523758727} \\
& \text{precision} & \text{recall} & \text{f1-score} & \text{support} \\
0 & 1.00 & 1.00 & 1.00 & 284315 \\
1 & 0.33 & 0.33 & 0.33 & 492 \\
\end{array}
\]
\[
\text{Local Outlier Factor}
\]
\[
\begin{array}{cccc}
\text{Number of Errors: 935} \\
\text{Accuracy Score: 0.9967170750718908} \\
& \text{precision} & \text{recall} & \text{f1-score} & \text{support} \\
0 & 1.00 & 1.00 & 1.00 & 284315 \\
1 & 0.05 & 0.05 & 0.05 & 492 \\
\end{array}
\]

Fig 15:- IF or LOC values

IX. PERFORMANCE EVOLUTION

Illustrations of the three classifications for the 34:66 dataset distribution in these demonstrations are shown in figure 16. These dataset distributions exposed well performance. The k-nearest neighbor technique exposed well performance in the estimation matrix used for the two dataset distributions, a higher specificity and an accurate value of 1.0 were obtained. This may actually occur because the KNN classifier has not entered any false positives within the classification. The Naive Bayes classifier detected KNN inaccuracy for only 10:90 dataset distributions. Logistic regression classifier refers to amount of performance between three classifiers estimated.

Fig 16:- TPR and FPR evaluation chart for naive Bayes, KNN and logistic regression

However, there was a large reclamation in performance between the two sets of sample dataset distributions. Since all related functions have not been evaluated with administered supported accuracy, sensitivity, specificity, accuracy, Matthew correlation coefficient, and balanced classification rate, this study compared other related functions with the required positive and false positive rates. Figures 17 and 18 propose Naive Bayes, KNN and LR classifiers against other related functions and are referred to in square brackets [].
From this observation it is proposed that, KNN classifier logged zero false positives for both sets of data distributions (i.e. 10:90 & 34:66 datasets) or the classifier compared the evaluation of positive or false positive rates at logistic to this time outperformed the reviewed works. The regression with other functions is shown in figure 19 and there is overlap between the true positive or false positive rates for the 10:90 data distribution as opposed to figures 17 & 18.

**X. CONCLUSION**

In this research study, we investigate the comparative performance of naive Bayes, k-nearest neighbor and logistic regression classifier within the binary classification of unbalanced credit card fraud datasets. The justification for examining those three techniques is due to their comparative ease as they are drawn to previous literature.

Final result, we perform classifiers differently in different evaluation metrics. Experiment results show that KNN demonstrations substantial performance for all matrices estimated except accuracy within 10:90 dataset distribution.
Table 7

<table>
<thead>
<tr>
<th>Contribution - 1</th>
<th>Three classifier-supported different machine learning techniques are trained over a critical lifetime of credit card transaction data and many relevant metrics comparing credit card fraud detection and their performance is supported.</th>
</tr>
</thead>
<tbody>
<tr>
<td>Contribution - 2</td>
<td>Highly unbalanced datasets are measured into highly hybrid approach, where the positive class is overlapped as well as the negative class is sampled, yielding sets of two dataset distributions.</td>
</tr>
<tr>
<td>Contribution - 3</td>
<td>Performance of three classifiers on sets of two dataset distributions is investigated using accuracy, sensitivity, specificity, precision, balanced classification rate, and Matthews statistical matrix.</td>
</tr>
</tbody>
</table>

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REFERENCES


