# Design Radial-Flux Mini Permanent Magnet Generator

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Abstract:- Utilization of renewable energy, such as water and wind always has constraints in the form of varying and not constant water or airflow velocity so that a generator is capable of working in that condition. This study aims to design a permanent magnet generator with a size calculated based on a target output power of 500 watts. The dimensions of the generator produced are calculated by the equation and produce a rotor diameter and core length of 108 mm and 52 mm. The generator is designed to have 18 slots, 16 poles and 3 phases. The generator is tested with different speed variations and no load. No-load test results with variations in the speed of 50 rpm, 250 rpm, 500 rpm, and 1000 rpm produces a voltage of 11.30 volts, 56.52 volts, 113.04 volts, 169.53 volts, and 226.08 volts. After that, the generator is tested with load variations 5  $\Omega$ , 10  $\Omega$ , 15  $\Omega$ , and 20  $\Omega$  in order to get the value of its power and efficiency. The highest power produced at a speed of 500 rpm is 580,791 watts. The highest power produced by the generator is at a speed of 1000 rpm which is 1170.53 watts. the highest efficiency produced by this permanent magnet generator is 79.76%.

Keywords— Efisiensi, Generator Magnet Permanen, Slot, Pole, Daya.

## I. INTRODUCTION

Growth in population is increasing, this is directly proportional to the increasing amount of energy consumption. Electrical energy is one of the most widely used energy. Electricity consumption in the period 2000-2014 experienced an average growth of 6.8% per year [1]. With this growth, various methods are carried out so that the electrical energy needs are met. One way to do this is to use renewable energy.

One of the electrical energy devises to utilize renewable energy that is developed is a generator. Generator is a device to convert mechanical energy into electrical energy [2]. In a renewable electric energy generator, mechanical energy is the conversion of primary energy such as water and wind. Utilization of renewable energy such as water and wind always has constraints, where the speed of water and airflow varies and is not constant so it takes a generator that is able to work in these circumstances [3]. Generators that are able to work in these circumstances are permanent magnet generators. Permanent magnet generators are very efficient to use because they work well at low rotational speeds [4]. Then in the manufacture and also scale-up of permanent magnet generators it is very easy to design generators with certain power capacities, certain voltages and certain work speeds by simply changing parameters such as magnetic flux, number of coils and number of turns, the number of magnets and diameter of wire [5]. Permanent magnet generators are divided into two, based on the magnetic flux produced, namely axial flux permanent magnet generators and radial flux permanent magnet generators [6].

## II. METHODOLOGY

#### A. Data Collection

The data used in this design are dimension generator data and reference sheet data from the material. Dimension data is taken from standards established in the International Electrotechnical Commission (IEC) standard.

## B. Variable

The variables in this study were divided into two, namely the design variable and test variable.

- a. Design Variable
- 1. Dimensions of Permanent Magnet Generators

$$D^2 L = \frac{Q}{1.11\pi^2 B_{av} acK_w n_s 10^{-3}}$$

2. Size of Stator and Rotor Slots



Fig 1:- Stator Topologi

 $S_s = p.q.m$ 

calculate Stator tooth  $(W_{ts})$ :

$$W_{ts} = \frac{p.B_g.A_{pr}}{S_s L_i B_{ts}}$$

Calculate area of rotor *pole* (A<sub>pr</sub>) :  $A_{pr} = \tau_p L_i$ 

Stator pole pitch  $\tau_p$ :

$$\tau_p = \frac{\pi D}{p}$$

Effective length *core*  $L_i$ :

$$Li = L. K_{stack}$$

Diameter Rotor  $D_t$ :

$$D_r = D - 2.l_g$$

*Stator yoke* Y<sub>s</sub>:

$$Y_s = \frac{\phi}{2L_1 B_{ts}}$$

Wide hole stator  $A_{ss}$ :

$$A_{ss} = \frac{A_w N_s}{FF}$$

Calculate the area of a conductor's path:  $A_w = \frac{I_{ph}}{I}$ 

Calculate the diameter of a conductor  $d_w$ :

$$d_{w} = \sqrt{\frac{4 \cdot A_{w}}{\pi}}$$

$$b_{s1} = \frac{\pi (D_{i} + 2h_{os} + 2h_{w})}{S_{s}} - b_{ts}$$

$$b_{s2} = \sqrt{4 \cdot A_{ss} \cdot \tan \frac{\pi}{s_{s}}} + b_{s1}^{2}$$

$$h_{s} = \frac{2 \cdot A_{ss}}{b_{s1} + b_{s2}}$$

Out side diameter D :

$$D_o = D + 2.(h_s + h_{os} + h_w + Y_s)$$

Magnetic Thickness:

$$PC = \frac{t_m}{l_g C_\phi}$$

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Factor concentration flux:

$$C_{\phi} = \frac{A_m}{A_g} = \frac{2\alpha_m}{1 + \alpha_m}$$

Wide air gap:

$$\alpha_m = \frac{\tau_m}{\tau_p}$$

b. Test Variable The test variable is a generator testing variable in the

form of input from the generator and generator load..

1. Input Generator

The test variable for generator input is based on nonconstant air and water flow velocity, so that the generator is tested with different speeds, namely a range of 100 rpm -1000 rpm.

#### 2. Load Generator

The generator is connected to the load which aims to produce the current value as well as to find out the power produced by the generator. In addition, the provision of load also aims to determine the characteristics and efficiency of the generator. In this case the load given is 5 ohms - 20 ohms.

### C. Design and Simulation

Mathematical calculations of permanent magnet generators are calculations to obtain values from the size or geometry of the generator. This mathematical calculation will produce a measure of the dimensions of the permanent magnet generator, namely  $D^2L$ , where L is the core length and D is the diameter of the air gap. In addition to producing the main dimensions, the calculation will also produce stator, rotor and magnet size values. This calculation requires parameters as shown in table 1 below.

Power, P	500 Watt / 588 VA	
Specific magnetic loading, Bg	0,9 T	
Specific electric loading, ac	12.000 A/m	
The angular velocity, Ns	500 rpm / 8,3 rps	
Winding factor, $k_w$	0.945	
Power factor, $\cos \theta$	0.85	
Number of Phasa, N <sub>ph</sub>	3	
Frekuency, f	50 Hz	
Flux Density in Stator teeth, B <sub>ts</sub>	1.5 T	

Tabel 1:- Input parameter perhitungan Matematis Generator

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From the input parameters above, obtained the geometry specifications of the permanent magnet generator shown in table 2.

Stator outer diameter (Db)	190 mm
Inside diameter of the slot hole (De)	170 mm
Inside diameter of the stator (Dc)	110 mm
Air gap stator and rotor $(l_g)$	1 mm
Outer diameter of the rotor (Dr)	108 mm
Magnetic outer diameter (Di)	105 mm
Inner diameter of the magnet (Da)	98 mm
Diameter <i>shaft</i>	20 mm
Magnet length	16 mm
Magnet Thicknes $(L_m)$	4 mm
Teeth Length	26.9 mm
Teeth height $(L_t)$	3 mm
Teet Widthh ( $W_{ts}$ )	11 mm
Distance between slots $(L_{tg})$	4.15 mm
Stator and rotor core length $(L_a)$ , magnet $(L_h)$	52 mm
Thick Yoke $(Y_s)$	10 mm
Number of <i>pole</i> ( <i>p</i> )	16 pole
Number of <i>slot</i> $(Q_s)$	18 slot

Table 2:- Geometry specifications of permanent magnet generators

From the above specifications, the permanent magnet synchronous generator stator is designed as shown in Figure 2. and the results of the rotor design are shown in Figure 3.



Fig 2:- Stator 18 slot 2D permanent synchronous generator design results



Fig 3:- The design of a 16 pole rotor 2D permanent magnet generator

The geometry design of permanent magnet generators will be given the composite material for each component. The components of a permanent magnet generator consist of the air box, stator, air gap, rotor, magnet, cooler, and shaft. The material making up the simulation of a permanent magnet generator is shown in table 3.

Komponen	Material
Stator	Non-Oriented M1000-100A Silicon Steel
Rotor	Non-Oriented M1000-100A Silicon Steel
Air Box dan Air Gap	Air
Permanent Magnet	Neodymium Iron Boron: 48/11
Coil	Copper: 5.77e7 Siemens/Meter
Shaft	Air

Table 3:- Composite Material simulation of permanent magnet generator

Giving material to the stator and rotor is soft magnet material, this material shows its magnetic characteristics only when subjected to magnetic forces such as magnetic fields generated by permanent magnets or currents that cross the coil that surrounds these laminates. The most widely used soft magnet is silicon steel. The presence of silicon in steel can increase the resistivity volume to reduce eddy currents and reduce hysteresis. The silicon content in steel is approximately 0.5% -3.25%. In addition, the use of soft magnetic materials also reduces the reluctance of the magnetic circuit, increases the saturation of the flux density, reduces losses and increases in temperature.

Figure 4 shows the results of designing a permanent magnet generator on the Magnet software.

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Fig 4:- Permanent magnet generator in the Magnet software

The generator works by changing the input in the form of rotational speed or angular speed (radians per second) and torque (Newton meters), producing an output in the form of a voltage (volts) and currents (amperes). The generator rotates with input through shafts from the turbine. Input from the turbine is turbine rotational speed, and torque is given.

In the simulation various variations of angular velocity will be tried. The parameters set in this simulation are the angular rotor speed ( $\omega$ ), and time. The speeds that were tried in this simulation were speeds at 50 rpm, 250 rpm, 500 rpm, 750 rpm and 1000 rpm.

The rotor is part of a rotating generator. The rotor will rotate by 3600 for 1 spin. Rotational speed in units of rpm (rotation per minute) means that in one minute the rotor will rotate once, then it will be changed in units of degrees per second wherein one second the rotor will rotate by 3600, so that,

$$50 \ rpm \to \frac{50 \ rpm \times 360^{\circ}}{60 \ s} = 300^{\circ}/s$$

$$250 \ rpm \to \frac{250 \ rpm \times 360^{\circ}}{60 \ s} = 1500^{\circ}/s$$

$$500 \ rpm \to \frac{500 \ rpm \times 360^{\circ}}{60 \ s} = 3000^{\circ}/s$$

$$750 \ rpm \to \frac{750 \ rpm \times 360^{\circ}}{60 \ s} = 4500^{\circ}/s$$

$$1000 \ rpm \to \frac{1000 \ rpm \times 360^{\circ}}{60 \ s} = 6000^{\circ}/s$$

The designed permanent magnet generator is an 18s16p permanent magnet generator, so to form one sinusoidal wave the rotor only needs to spin around 3600 / 8 = 450. In this simulation the rotor will be rotated per 30, so it needs to know-how much time it takes the rotor to rotate for 30.

Time at a speed of 300 rps when the rotor rotates  $3^0$ :

Waktu pada kecepatan 300 rps saat rotor berputar 3°  $\rightarrow \frac{3^{\circ} \times 1 \text{ s}}{300^{\circ}} = 0.01 \text{ s}$ 

Time at a speed of 1500 rps when the rotor rotates  $3^0$ :

Waktu pada kecepatan 1500 rps saat rotor berputar  $3^{\circ}$ 

Time at a speed of 3000 rps when the rotor rotates 3<sup>o</sup>:  $3^{\circ} \times 1 \text{ s} = 0.002 \text{ s}$ 

Waktu pada kecepatan 3000 rps saat rotor berputar 3°

$$\rightarrow \frac{3^\circ \times 1 \text{ s}}{3000^\circ} = 0.001 \text{ s}$$

Time at a speed of 4500 rps when the rotor rotates  $3^0$ :

Waktu pada kecepatan 4500 rps saat rotor berputar 3°  

$$\rightarrow \frac{3^{\circ} \times 1 \text{ s}}{4500^{\circ}} = 0.000667 \text{ s}$$

Time at a speed of 6000 rps when the rotor rotates  $3^0$ :

Waktu pada kecepatan 6000 rps saat rotor berputar 3°  $\rightarrow \frac{3^{\circ} \times 1 \text{ s}}{6000^{\circ}} = 0.0005 \text{ s}$ 

Magnet Software will simulate a start time from the above results. The rotor will rotate  $45^0$  to form one sinusoidal wave, so because the simulation is calculated every 30 then  $45^0 / 3^0 = 15$ , there will be 15 calculation data to form a sinusoidal wave, therefore it is necessary to determine the stop time of the simulation. To calculate stop time as follows :

Time stops at 300 rps:  $15 \ge 0.01 = 0.15$ Time stops at 1500 rps:  $15 \ge 0.002 = 0.03$ Time stops at 3000 rps:  $15 \ge 0.001 = 0.015$ Time stops at 4500 rps:  $15 \ge 0.000667 = 0.010005$ Time stops at 6000 rps:  $15 \ge 0.0005 = 0.0075$ 

From the above calculation, we get the input parameters of permanent magnet generator on the Magnet software. The following calculation data is summarized in table 4.

RPM	RPS	Stop Time	Interval/3°
50	300	0.15	0.01
250	1500	0.03	0.002
500	3000	0.015	0.001
750	4500	0.010005	0.000667
1000	6000	0.0075	0.0005

Table 4:- Input Simulation parameters in Magnet software

#### 1. Generator Circuits in Magnet Software

Making the circuit is the stage of making a circuit that is in a generator. The generator consists of 18 slots, this means there are 18 coils that will be connected to make 3 phases. In this design, the circuit configuration that will be made is a star configuration consisting of 6 series and 3 parallel so that it will get 3 phases.

In this study, a no-load circuit was created and a circuit with a load. For a no-load circuit will produce an inter-phase voltage value and the average DC the voltage used to

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determine the Back EMF constant, while a circuit with a load will produce voltage and current so that the power will be generated by the generator. The load used is the load on the obstacles 5  $\Omega$ , 10  $\Omega$ , 15  $\Omega$ , 20  $\Omega$ . Figure 5 shows the circuit without load and Figure 6 shows the circuit with a load.



Fig 6:- Circuit With a load

## III. RESULT AND DISCUSSION

#### A. Voltage and Back EMF Constant

Table 5 shows a summary of the voltage produced by the generator at each speed. This data shows that the faster the rotor in the generator rotates, the greater the voltage generated. This is in accordance with the rules of the right hand.

In this no-load simulation, the result is only a voltage and does not produce a current, because the generator is not connected to the load. There is a value of Ke or Back EMF constant which indicates that this generator is the same generator with different tests.

Speed (rpm)	Average Voltage (V)	<b>K</b> e
50	11.30458	2.16
250	56.52263	2.16
500	113.0445	2.16
750	169.5258	2.16
1000	226.0858	2.16

Table 5:- Voltage produced by the generator at each speed

B. Input Power

The test results as shown in table 6, if the load increases, the torque will be smaller, so the impact on input power.

Speed	Input Power (P.In) watt			
(rpm)	5Ω	10 Ω	15 Ω	20 Ω
50	24.186	15.18726	11.5012	9.505
250	356.1318	263.4993	203.8163	171.0234
500	744.1821	738.532	645.0334	547.0084
750	1020.257	1144.466	1122.992	1018.604
1000	1160.117	1474.974	1504.114	1510.637

Table 6:- Input Power

In this test when the speed is less than 500 rpm, if the load increases the torque is smaller so that the input power decreases. While at speeds of 750 rpm to 1000 rpm, the generator has a peak load at a load of 10  $\Omega$ , can be seen in Figure 7 and table 6.



### C. Output Power

Output power is the result of the conversion of angular velocity ( $\omega$ ) and torque ( $\tau$ ) which produces voltage (V) and Current (I) by the generator. Table 7 shows the values of the output power with load variations at angular speeds of 50 rpm to 1000 rpm.

Speed (rpm)	Output Power (P. Out) watt			
	5Ω	10 Ω	15 Ω	20 Ω
50	16.77699	10.00969	7.100117	5.4283
250	275.6034	208.7378	161.0911	136.2341
500	551.8332	580.791	514.4797	428.9553
750	742.2479	870.5873	878.2817	803.9555
1000	822.104	1103.002	1145.662	1170.53
Table 7: Output Demon				

Table 7:- Output Power

Figure 8 presents the data in graphical form, it appears that the higher the speed, the value of the power produced is also greater, but the generator also has a maximum load level, this can be seen in the variation of the speed of loading, such as the speed of 500 rpm. At a speed of 500 rpm, if the generator is given a load of 5  $\Omega$  - 10  $\Omega$  the resulting in power increases, but after being given an increase in load from 10  $\Omega$  - 20  $\Omega$  the resulting in power decreases, this also occurs in other speed variations. From the results of this experiment, if you want to optimize the performance of the generator, then the generator must function according to a certain speed and loading, so that the generator can work optimally.



Fig 8:- Graph of Output Power Against Speed

D. Efisiensi

The simulation results of the efficiency of the generator that have been designed are shown in table 3.4. The efficiency of this generator changes due to the influence of the input value which is in the form of changing speed so that the generator torque also changes. In addition to the conversion into electricity, there are losses in the form of Edy currents and iron losses in the stator and rotor material.

Snood (mm)	Efficiency (η)			
Speed (rpm)	5Ω	10 Ω	15 Ω	20 Ω
50	0.6936	0.659	0.6173	0.5719
250	0.77388	0.792	0.7904	0.796581
500	0.74153	0.7864	0.7976	0.7841
750	0.7275	0.760693	0.782	0.7893
1000	0.7086	0.7478	0.7617	0.7748

Table 8:- Efficiency

From the simulation data in table 3.4, it can be seen that the worst efficiency occurs when the load is 20  $\Omega$  at 50 rpm because it is only able to convert 57% energy. at the speed of 500 rpm, the smallest efficiency when loading 5  $\Omega$  is equal to 0.72%. The best efficiency occurs when loading 15 "at a speed of 500 rpm converts 79.76% of energy. In detail, it can be seen in Figure 9.



Fig 9:- Efficiency Curves Against Speed

#### IV. CONCLUSION

This permanent magnet generator mini design has been successfully designed with a back-emf constant value of 2.16, with the number of turns obtained the highest power produced at a speed of 500rpm is 580,791 watts. While the highest output power generated by the generator is at a speed of 1000 rpm which is 1170.53 watts, and the lowest power at a speed of 50 rpm, which is equal to 5,4283 watts. The highest efficiency of this permanent magnet generator is 79.76%.

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